

コンピュータでやってみた_4-1.ipynb

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多変数関数の極限值が存在しない例

In [1]: using Plots

In [2]: $f(x,y) = x^2y / (x^4 + y^2)$

Out [2]: f (generic function with 1 method)

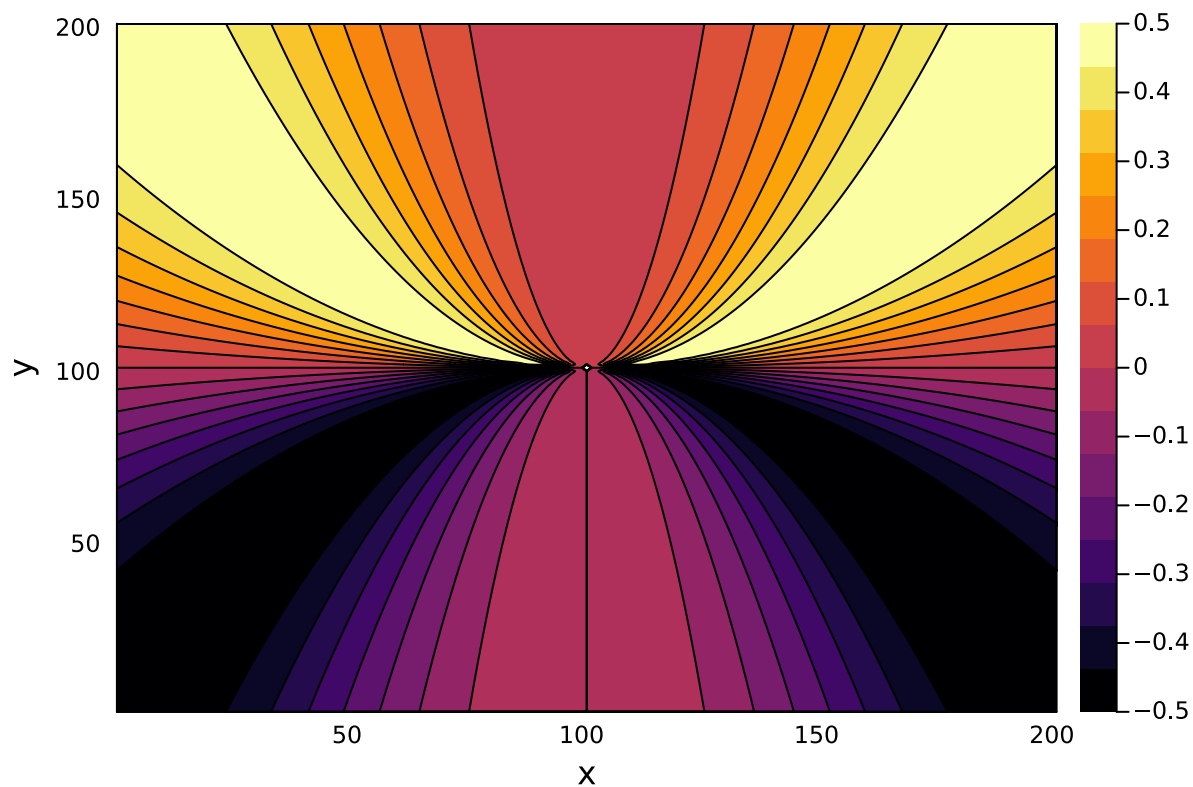
In [3]: $A = [f(x,y) \text{ for } x \text{ in } -1:0.01:1, y \text{ in } -1:0.01:1]$

Out [3]: 201×201 Matrix{Float64}:

-0.5	-0.499975	-0.499898	-0.499768	...	0.499898	0.499975	0.5
-0.499899	-0.499975	-0.5	-0.499973		0.5	0.499975	0.499899
-0.499592	-0.49977	-0.499898	-0.499975		0.499898	0.49977	0.499592
-0.499074	-0.499354	-0.499586	-0.499768		0.499586	0.499354	0.499074
-0.498338	-0.498721	-0.499058	-0.499346		0.499058	0.498721	0.498338
-0.49738	-0.497867	-0.498308	-0.498702	...	0.498308	0.497867	0.49738
-0.496196	-0.496785	-0.497331	-0.497832		0.497331	0.496785	0.496196
-0.494779	-0.495472	-0.496123	-0.49673		0.496123	0.495472	0.494779
-0.493127	-0.493922	-0.494678	-0.495391		0.494678	0.493922	0.493127
-0.491235	-0.492133	-0.492992	-0.493811		0.492992	0.492133	0.491235
-0.489101	-0.490099	-0.491061	-0.491985	...	0.491061	0.490099	0.489101
-0.486721	-0.487818	-0.488882	-0.48991		0.488882	0.487818	0.486721
-0.484092	-0.485288	-0.486452	-0.487583		0.486452	0.485288	0.484092
⋮			⋮			⋮	
-0.486721	-0.487818	-0.488882	-0.48991		0.488882	0.487818	0.486721
-0.489101	-0.490099	-0.491061	-0.491985	...	0.491061	0.490099	0.489101
-0.491235	-0.492133	-0.492992	-0.493811		0.492992	0.492133	0.491235
-0.493127	-0.493922	-0.494678	-0.495391		0.494678	0.493922	0.493127
-0.494779	-0.495472	-0.496123	-0.49673		0.496123	0.495472	0.494779
-0.496196	-0.496785	-0.497331	-0.497832		0.497331	0.496785	0.496196
-0.49738	-0.497867	-0.498308	-0.498702	...	0.498308	0.497867	0.49738
-0.498338	-0.498721	-0.499058	-0.499346		0.499058	0.498721	0.498338
-0.499074	-0.499354	-0.499586	-0.499768		0.499586	0.499354	0.499074
-0.499592	-0.49977	-0.499898	-0.499975		0.499898	0.49977	0.499592
-0.499899	-0.499975	-0.5	-0.499973		0.5	0.499975	0.499899
-0.5	-0.499975	-0.499898	-0.499768	...	0.499898	0.499975	0.5

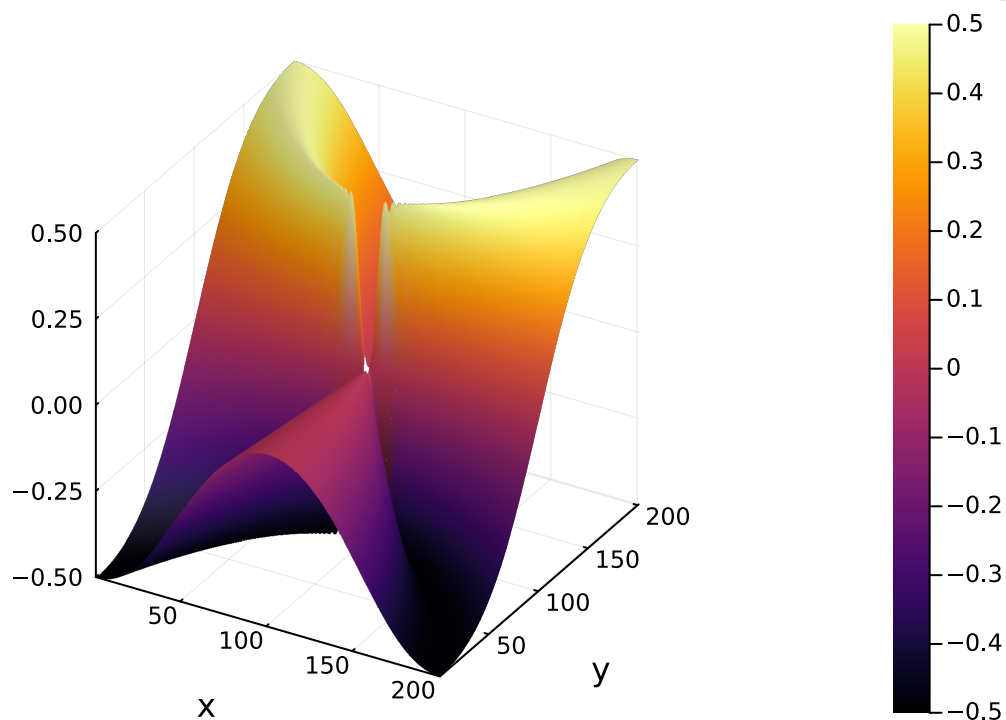
In [9]: default(xlabel = "x", ylabel = "y")
 contour(A', fill = true)
 # x,y の変化の向きによる行列への値の格納順序が、図の軸の向きと違うので、行列を転置して

Out [9]:



In [10]: `surface(A')`

Out [10]:



多変数関数の偏微分

In [11]: `using SymPy`

In [12]: `@syms t,s`

Out [12]: (t, s)

In [15]: `g = SymPy.atan(t/s)`

Out [15]: $\text{atan}\left(\frac{t}{s}\right)$

In [16]: `diff( g, t )`

Out [16]:
$$\frac{1}{s^2 \sqrt{1 + \frac{t^2}{s^2}}}$$

In [17]: `diff( g, s )`

Out [17]:
$$\frac{-t}{s^2 \sqrt{1 + \frac{t^2}{s^2}}}$$

In []:

Hey there! If you have any feedback for this tool - issues, ideas for improvement, or you want to just tell me about your use case for this, I'd love to know. [E-mail me](#) or [tweet at me](#).